## Year 12 Physics Revision Table

## Topic 6: The Motion of Charged Particles in Electric Fields

| Expectation <br> From SACE Subject Outline <br> Note: these can be asked in converse | Summary of things I know about this <br> (for formulae, for example, this could be: what the symbols mean, what the <br> units of each variable is, and some possible rearrangements) | Example question(s) to practice until I can do <br> under test conditions without help <br> There are likely to be some in the textbook too, also take note of questions <br> youdd like examples of from the teacher |
| :--- | :--- | :--- |
| Solve problems involving the use of $W=q \Delta V$. | Assignment Q1 (b) <br> Test Q1 (a) |  |
| Convert energy from joules into electron volts and vice versa. |  | Assignment Q1 (c) <br> Test Q1 (b) |
| Derive the expression $E=\Delta V / d$ for the magnitude of the <br> electric field (away from the edges) between two oppositely <br> charged parallel plates a distance $d$ apart, where $\Delta V$ is the <br> potential difference between the plates. | Assignment Q1 (d) <br> Test Q1 (c) |  |
| Solve problems involving the use of $E=\Delta V / d$. | Assignment Q1 (a), Q4 (a) |  |
| Describe the motion of a charged particle in a uniform electric |  |  |
| field. |  |  |
| Perform calculations involving the movement of charged <br> particles parallel or antiparallel to a uniform electric field. |  |  |
| Compare the motion of a projectile in the absence of air <br> resistance with the motion of a charged particle in a uniform <br> electric field. |  |  |


| Calculate the time of flight and deflection of a charged particle <br> that enters a uniform electric field at right angles to the field. |  | Assignment Q3 |
| :--- | :--- | :--- |
| Test Q3 |  |  |

## Topic 7: Magnetic Fields

\(\left.\begin{array}{|l|l|l|}\hline Expectation \& Summary of things I know about this \& Example question(s) to practice until I can do <br>

under test conditions\end{array}\right]\)| Assignment Q1 |
| :--- |
| Sketch the magnetic field lines produced by an electric current <br> flowing in a straight conductor, a loop, and a solenoid. |

## Topic 8: The Motion of Charged Particles in Magnetic Fields

| Expectation | Summary of things I know about this | Example question(s) to practice until I can do under test conditions |
| :---: | :---: | :---: |
| Demonstrate an understanding that the magnetic force depends on both the magnitude and the direction of the velocity of the particle. |  | Assignment Q2 |
| Solve problems involving the use of $F=q v B \sin \theta$. |  | $\begin{aligned} & \text { Assignment Q1 } \\ & \text { Test Q5 (a) } \end{aligned}$ |
| Determine the direction of the force on a charged particle moving at any angle $\theta$ to a uniform magnetic field. |  | Assignment Q2 |
| Explain how the velocity-dependence of the magnetic force on a charged particle causes the particle to move with uniform circular motion when it enters a uniform magnetic field at right angles. |  | Assignment Q5 (b) Test Q5 (c) |
| Derive $r=m v / q B$ for the radius $r$ of the circular path of an ion of charge $q$ and mass $m$ that is moving with speed $v$ at right angles to a uniform magnetic field of magnitude $B$. |  | Assignment Q3 (a) Test Q4 (a) |
| Solve problems involving the use of $r=m v / q B$. |  | Assignment Q5 (c) |
| Describe the nature and direction of the magnetic field needed to deflect ions into a circular path in the dees of a cyclotron. |  | Assignment Q3 (d) |

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\begin{array}{|l|l|l|}\hline \begin{array}{l}\text { Derive the expression } T=2 \pi m / q B \text { for the period } T \text { of the } \\
\text { circular motion of an ion, and hence show that the period is } \\
\text { independent of the speed of the ion. }\end{array} & & \begin{array}{l}\text { Assignment Q3 (b) } \\
\text { Test Q4 (b) and (c) }\end{array} \\
\hline \begin{array}{l}\text { Using the relationships } K=1 / 2 m v^{2} \text { and } r=m v / q B \text {, derive the } \\
\text { expression } K=q^{2} B^{2} r^{2} / 2 m \text { for the kinetic energy } K \text { of the } \\
\text { ions emerging at radius } r \text { from a cyclotron. }\end{array}
$$ \& \& Assignment Q5 (d) <br>

Test Q5 (d)\end{array}\right]\)| Use this expression to show that $K$ is independent of the <br> potential difference across the dees and, for given ions, <br> depends only on the magnetic field and the radius of the <br> cyclotron. |
| :--- |
| Solve problems involving the use of <br> $T=2 \pi m / q B$ and $K=q^{2} B^{2} r^{2} / 2 m$. |

